

$$\{\sigma_{c_1}(\sigma_{c_2}(R)) \Leftrightarrow \sigma_{c_1 c_2}(R)\}$$

$$\Pi_{\bar{A}}(\sigma_c(R)) \Leftrightarrow \sigma_c(\Pi_{\bar{A}}(R))$$

(attribs of $c \subseteq \bar{A}$)

$$R \bowtie S \Leftrightarrow S \bowtie R$$

$$(R \bowtie S) \bowtie T \Leftrightarrow R \bowtie (S \bowtie T)$$

$$\sigma_c(R \times S) \Leftrightarrow \sigma_c(R) \times S$$

(if attribs of $c \subseteq$ attribs of R)

$$\sigma_c(R \times S) \Leftrightarrow R \bowtie_{c_1} S$$

$$\sigma_c(R \cup S) \Leftrightarrow \sigma_c(R) \cup \sigma_c(S)$$

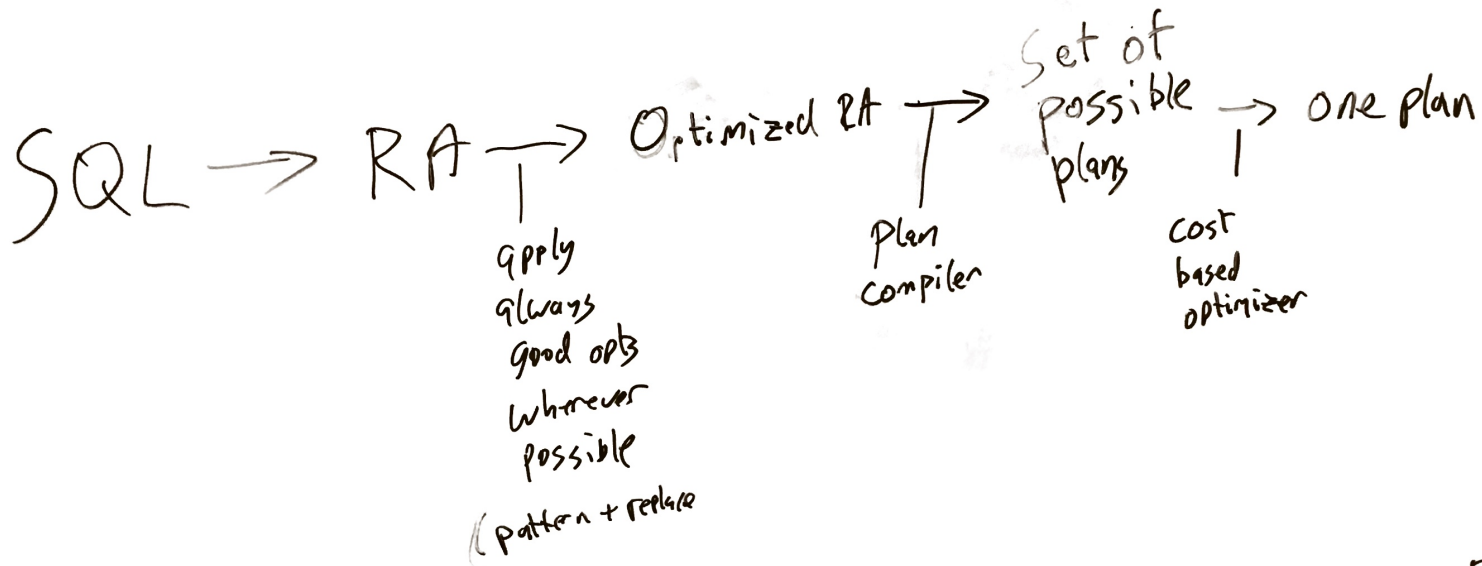
$$\Pi(R \cup S) \Leftrightarrow \Pi(R) \cup \Pi(S)$$

Join reordering
(more options)

Join conversion
(always good)

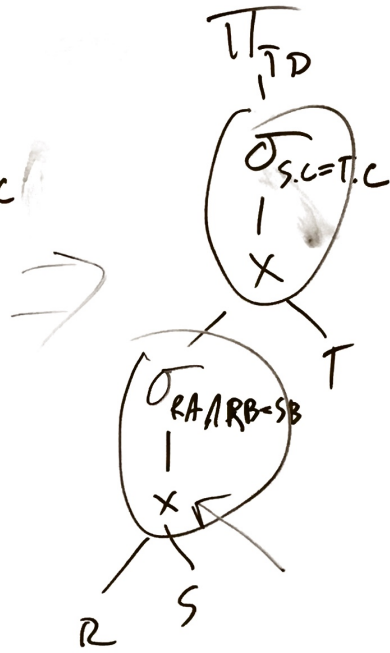
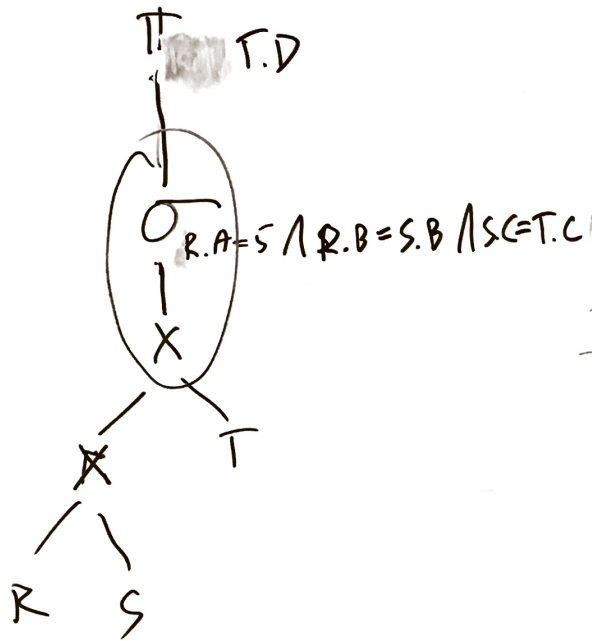
selection
pushdown
(always good)

enables



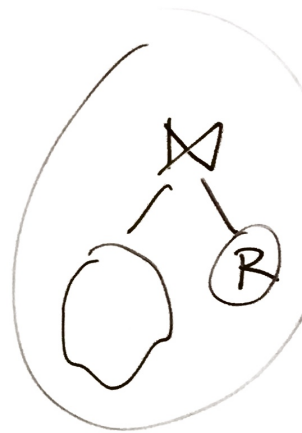
FB user $N_{\text{friend_of}}$ FB user

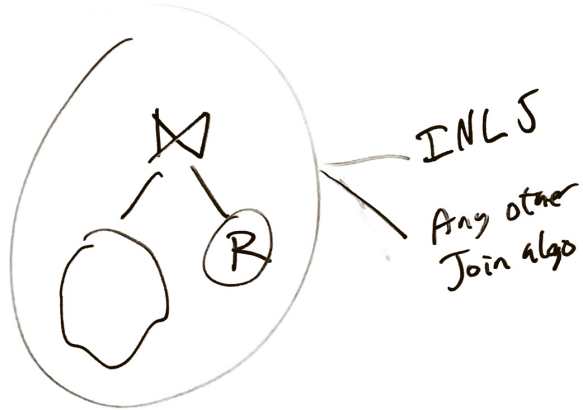
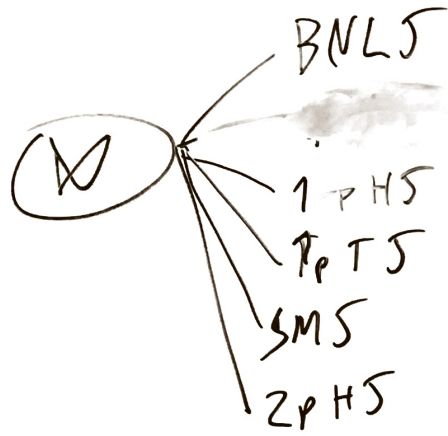
→ one plan
 cost based optimizer



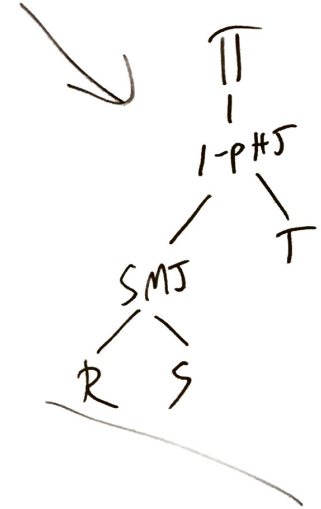
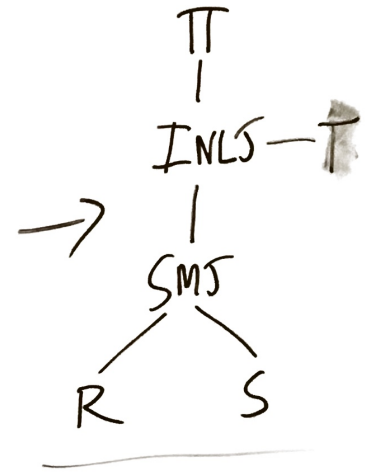
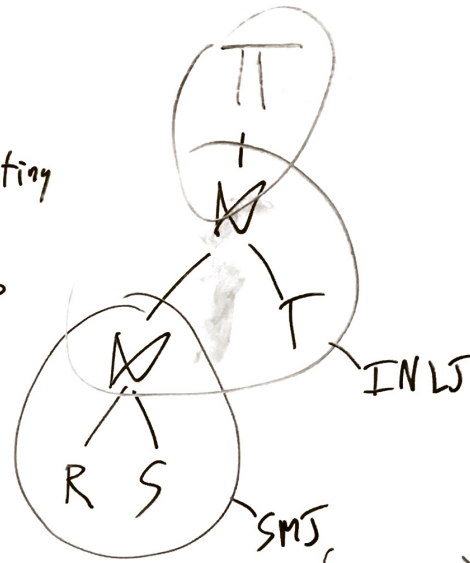
er friend of FB user

$(R \Join T) \Join S$
 $(S \Join T) \Join R$





Constructing
 One
 possible
 plan



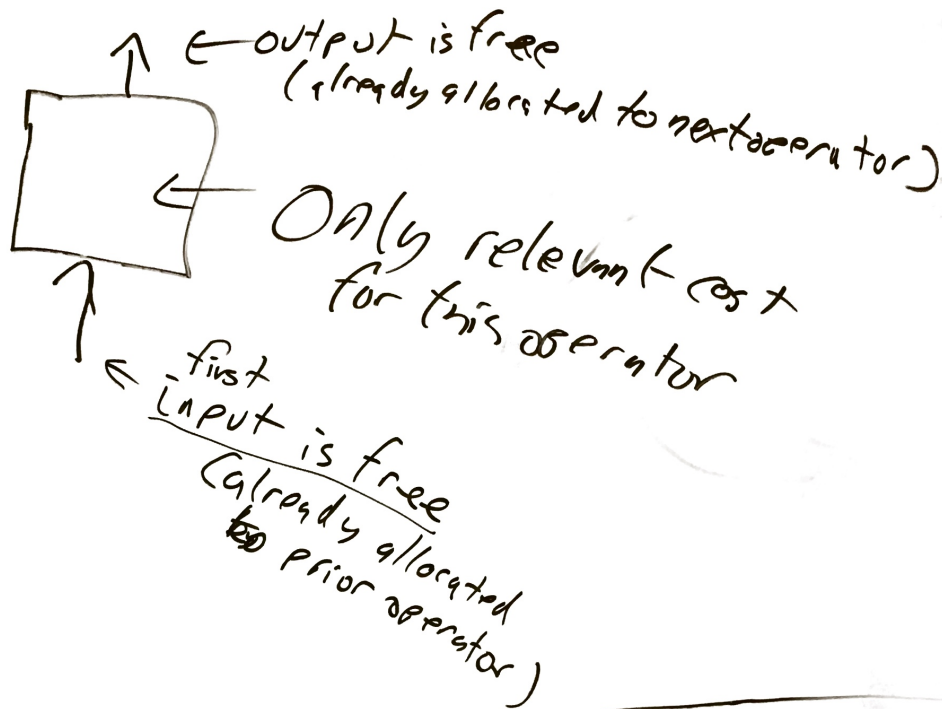
Time taken - minimize

↳ #IOS

↳ CPU Time

Memory Required - upper bound

Measuring IO



Statistics of interest

- pages of data in a table |R|
- Index Stats → depth of tree
- how many records returned * |OR|

Algorithms

Access
paths

[File Scan
Index Scan

Projection (map)
Selection (filter)
Union

no
IO
cost

Sort $\left\{ \begin{array}{l} \text{In Mem} \\ \text{External} \end{array} \right.$

BNLJ

1-PHJ

1-PTJ

2-PHJ

SMJ

INLJ

GBAgg $\left\{ \begin{array}{l} \text{In Mem} \\ \text{Hash} \\ \text{Sort} \end{array} \right.$

Distinct

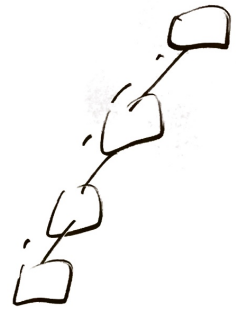
File Scan (R)

of
IOs : $|R|$

Index Scan (σ_c)

↳ Tree

of IOs : depth of tree
+ $|\sigma_c R|$



Sort(\tilde{R}) (with B pages of buffer)

$$\# \text{ of IOs} : \log_B(|R|/2) \cdot 2 \cdot |R|$$

BNLJ(\tilde{R}_S^x)

(with B pages of buffer for each R, S)

for block-R in R:

for block-S in S:

for r in block-R:

for s in block-S:

emit r x s

no IOs

if first pass:
write out block-S

of IOs

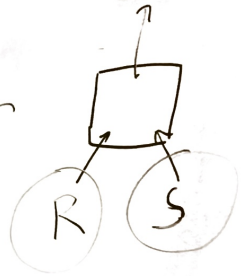
$$|R| + \frac{|R|}{B} \cdot |S| + |S|$$

comes from input

IOs in outer loop

of blocks of R

IOs in inner loop



$$\left(\frac{|R|}{B} - 1\right) \cdot |S| + |S|$$

$$= \frac{|R|}{B} \cdot |S|$$